

## Observing competition – planetarium round

### Solutions and points

**Note:** For questions requiring giving a position, correct to  $1^\circ$  gets full marks (usually **1 point**), correct to  $2^\circ$  gets half marks (usually **0.5 point**).

#### 1. Earth [ total 25 p.]

A) On the map of the sky, mark and label the nova and the Moon and draw the shape and position of the comet. [2 +1 + 3 = 6]

B) In the table below, circle only those objects which are above the astronomical horizon.  
[+0.5 for each correct, -1 for each incorrect]

<del>M20 – Triffid Nebula</del>	o Cet – Mira	$\delta$ CMa – Wezen
$\alpha$ Cyg – Deneb	<del>M57 – Ring Nebula</del>	$\beta$ Per – Algol
$\delta$ Cep – Alrediph	<del><math>\alpha</math> Boo – Arcturus</del>	M44 – Praesepe (Beehive Cluster)

C) When the coordinate grid is visible, mark on the map the northern part of the local meridian and the ecliptic north pole. [3 + 2 = 5]

D) For the displayed sky, give the :

geographical latitude of the observer :  $\varphi = 50^\circ \pm 1^\circ$  [1]

Local Sidereal Time :  $\theta = 5^h 25^m \pm 8^m$  [2]

time of year, by circling the calendar month :

Jan, Feb, Mar, Apr, May, Jun, Jul, Aug, Sep, Oct, Nov, Dec. [2]

E) Give the names of the objects, whose approximate horizontal coordinates are :

azimuth  $A_1 = 45^\circ$  and altitude  $h_1 = 58^\circ$  : ... **M 45** ..... [1]

azimuth  $A_2 = 278^\circ$  and altitude  $h_2 = 20^\circ$  : ...  **$\alpha$  Leo** ..... [1]

F) Give the horizontal coordinates (azimuth, altitude) of :

Syrius ( $\alpha$  CMa) :  $A_3 = 340^\circ \pm 2^\circ$ ;  $h_3 = 20^\circ \pm 1^\circ$  [0.5 + 0.5]

The Andromeda Galaxy (M31) :  $A_4 = 108^\circ \pm 2^\circ$ ;  $h_4 = 41^\circ \pm 2^\circ$  [0.5 + 0.5]

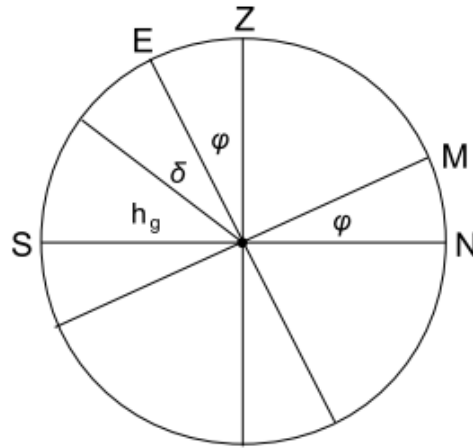
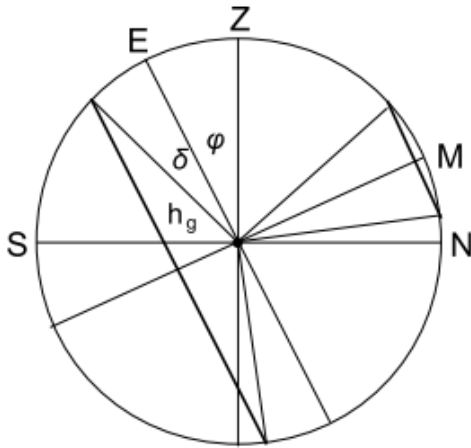
G) Give the equatorial coordinates of the star marked on the sky with a red arrow :

$\alpha = 3^h 24^m \pm 15^m$ ;  $\delta = 49^\circ \pm 3^\circ$  [1 + 1]

## 2. Mars

[ total 25 p.]

- H) Give the areographic (Martian) latitude of the observer :  $\varphi = 22.5^\circ$  [2]
- I) Give the altitudes of upper  $h_u$  and lower  $h_l$  culmination of :
- Pollux ( $\beta$  Gem) :  $h_u = 61^\circ \pm 0.5^\circ$ ;  $h_l = -50^\circ \pm 1^\circ$  (calculated) [1+2]
- Deneb ( $\alpha$  Cyg)  $h_u = 32^\circ \pm 0.5^\circ$ ;  $h_l = 13^\circ \pm 0.5^\circ$  [1+1]
- J) Give the areocentric (Martian) right ascension and declination of :
- Regulus ( $\alpha$  Leo)  $\delta = -22.5^\circ \pm 0.5^\circ$ , from culmination:  $h_u = 45^\circ \pm 0.5^\circ$  [2]
- Toliman ( $\alpha$  Cen)  $\delta = -48^\circ \pm 0.5^\circ$ , from culmination:  $h_u = 19.5^\circ \pm 0.5^\circ$  [2]
- K) Sketch diagrams to illustrate your working in questions (I) and (J) above : [2+2]



- L) On the map of the sky, mark (with a cross) and label ("M") the Martian North Pole [2].
- M) Give the azimuth of the direction in which the observer moved away from the Martian base :  
 $A = 330^\circ - 180^\circ = 150^\circ$  [2]
- N) Estimate the location of the base on Mars, and circle the appropriate description :  
 a. near the Equator  
 b. near the northern Tropic circle [3]  
 c. near the northern Arctic circle  
 d. near the North Pole
- O) The time axis below shows the Martian year and the seasons in the northern hemisphere. Mark the date represented by the planetarium display on the axis. [3]

